## The well-being of nations:

## Estimating welfare from international migration

Sanghoon Lee UBC Seung Hoon Lee Georgia Tech Jeffrey Lin FRB Philadelphia

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The views expressed here are those of the authors and do not necessarily represent those of the Federal Reserve Bank of Philadelphia or the Federal Reserve System.

## Measuring the welfare of nations

Limitations of GDP as a measure of welfare.

New method of estimating welfare based on revealed preference.

Key idea: People tend to move from low-welfare countries to high-welfare ones.

## Paper in one slide

#### Data

Gross bilateral international migration flows.

#### Discrete choice model

Every person chooses country of residence (including staying), given bilateral moving costs and *welfare level of each country*.

#### Estimation and identification

Recover welfare estimates and project onto observed country factors.

#### Conclusion

GDP is a good measure of welfare, but other factors matter too.

#### Contributions

Our estimates rely on different assumptions and data compared with previous work

Combine factors; Surveys of well-being. Ram (1982), Slottje (1991); Easterlin (1974), Krueger et al. (2009)

Calibrated U() and measured consumption, leisure, mortality Jones & Klenow (2016)

We provide micro-foundations for gravity in international migration flows

Existing micro-founded models imply w must rise w/ destination size. Anderson (2011)

We extend within-country QOL estimates from spatial equilibrium

Roback (1982)

Country utility varies; Our estimates incorporate housing costs and income.

# Model

## Setup

J countries with population sizes  $\{N_j\}$ 

Each person i in origin  $o \in J$  maximizes utility U by choosing destination d.

$$U_{od}^i = u_d - c_{od} + \xi_d + \epsilon_{od}^i$$

 $u_d \equiv Z'_d \alpha$  Destination d's welfare level.

 $c_{od} \equiv X_{od}'\beta \quad \text{Cost of moving from $o$ to $d$ ($c_{od}=0$ if $o=d$)}.$ 

 $\xi_d$  Unobserved destination factor d.

 $\epsilon_{od}^i$  Gumbel with location  $\gamma \ln N_d$  and shape 1.

## Larger countries offer more opportunities

Probability that a person in o chooses d:

$$\pi_{od}^{i} = \frac{\exp(u_{d} - c_{od} + \xi_{d} + \gamma \ln N_{d})}{\sum_{j} \exp(u_{j} - c_{oj} + \xi_{j} + \gamma \ln N_{j})}$$
$$= \frac{N_{d}^{\gamma} \exp(u_{d} - c_{od} + \xi_{d})}{\sum_{j} N_{j}^{\gamma} \exp(u_{j} - c_{oj} + \xi_{j})}.$$

i.e., equivalent to standard logit where each person receives  $N_d^{\gamma}$  draws.

## Why?

#### Fits intuition

E.g.: Countries AB & C; Identical regions A, B, C; No migration costs.

#### Fits gravity in migration flows

Flows (i)  $\searrow$  with  $d_{od}$ ; (ii)  $\nearrow$  with  $N_o$ ; (iii)  $\nearrow$  with  $N_d$ .

Standard choice models rationalize (i) & (ii). Our model also gets (iii).

Anderson (2011) achieves this by requiring wages, utility to  $\nearrow$  with  $N_d$ .

Omitting this feature may bias welfare estimates towards larger countries.

# ESTIMATION

## Estimation in two steps

1. Estimate  $\delta_d$  using conditional logit: (cf. BLP inversion)

$$\max_{d \in J} U_{od}^i = \delta_d - X_{od}' \beta + \nu_{od}^i.$$

2. Estimate  $\alpha$  and  $\gamma$  using OLS or lasso:

$$\delta_d = Z_d' \alpha + \gamma \log N_d + \xi_d.$$

Two estimates of country welfare:

Projected estimate: 
$$\hat{u_d} = Z_d'\hat{\alpha}$$
.

Unprojected estimate: 
$$\hat{u}_d = \hat{\delta_d} - \hat{\gamma} \log N_d.$$

#### Discussion

#### Unprojected vs. projected estimates

Unprojected estimates omit welfare-factor coefficients  $\hat{\alpha}$ .

Instead, use  $\hat{\delta}_d$  and correct for the model-implied rel'p btw. opportunities &  $N_d$ .

Unprojected estimate includes unobserved factors  $\xi_d$  (e.g., immigration policy).

#### Identification — projected estimate

 $N_d$  may directly affect welfare, beyond factors  $Z_d$ . (e.g. national pride).

If unobs. migration policy / with country's *overall* utility, ranks may be preserved.

We are interested in *prediction*, not causal effects.

# RESULTS STEP 1 — $\hat{\delta}_d$

#### Data and method

#### Bilateral migration flows between 2005–2010

Abel & Sander (2014)

Census tables of stocks of migrants by country of residence  $\times$  country of birth.

Adjusted for mortality.

#### Bilateral factors $X_{od}$ affecting migration costs

Distance, shared border, common language, colonial relationship, etc.

CEPI

#### Estimation using conditional logit

Every person faces same choice set, i.e., every country.

Choice specific factor  $(\delta_d)$  and individual–choice specific factor  $(X_{od})$ .

## Origin-destination factors predict migration flows

$1_{Diff}$	-3.337 <sup>c</sup>
	(1.262)
$1_{Diff} \times \text{Log distance}$	$-0.962^{c}$
1 (1)	(0.194)
$1_{Diff} \times$ Shared border	$1.518^{c}$
1	(0.282)
$1_{Diff} \times$ Common language	$0.700^{c}$
1 6.1 11.1.	(0.128)
$1_{Diff} \times$ Colonial link	$1.415^{c}$
	(0.183)
N	1.14e + 12

First-stage estimates. Standard errors robust to clustering by origin country reported in parentheses.  $^a-p < 0.10;\ ^b-p < 0.05;\ ^c-p < 0.01.$  179 countries  $\times$  6.39 billion people. = 1.14 trillion.

# Step 2 — $\hat{u}_d$

#### Data

#### Welfare factors $Z_d$

PWT, WB, UNU-Wider WIID, ILO

Log GDP per capita,

Average weekly work hours,

Gini coefficient of income,

Public share of total health expenditure (not private out-of-pocket),

Infant mortality,

Control of corruption,

Contractibility and confidence in rule of law,

Population-weighted exposure to PM25.

#### Population size $N_d$

Stable estimate  $\hat{\gamma}=0.48$ : Unprojected estimates  $\hat{\delta}_d-\hat{\gamma}\log N_d$  robust.

	(1) GDP	$\lambda.1$ se	$(3)$ $\lambda$ .min	(4) All
Log(Population)	0.484 <sup>c</sup> (0.038)	0.478 <sup>c</sup> (0.064)	0.488 <sup>c</sup> (0.065)	0.485 <sup>c</sup> (0.065)
Log(GDP per capita)	0.492 <sup>c</sup> (0.044)	$0.376^{c}$ (0.118)	0.351 <sup>c</sup> (0.121)	$0.483^{c}$ (0.178)
Gini coefficient		$-4.306^{c}$ (1.374)	$-4.297^{c}$ (1.375)	$-5.129^{c}$ (1.543)
Public share of health exp.		2.306 <sup>c</sup> (0.866)	2.302 <sup>c</sup> (0.866)	$2.298^{b}$ (0.874)
Control of corruption		-0.074 (0.214)	-0.104 (0.217)	0.054 (0.427)
Log(Mean work hours)		-1.418 (1.056)	-1.126 (1.099)	-1.040 (1.108)
Log(PM25)		(2.000)	-0.213 (0.223)	-0.278 (0.234)
Contractibility			(0.223)	-0.198 (0.415)
Infant mortality				0.253 (0.265)
Observations Adjusted R <sup>2</sup>	174 0.589	85 0.637	85 0.637	85 0.634

Second-stage estimates. Standard errors in parentheses.  $^{a}-p < 0.10$ ;

 $<sup>^{</sup>b}$ —p < 0.05;  $^{c}$ —p < 0.01.

GDP is strong predictor of welfare.

	(1) GDP	$(2)$ $\lambda.1$ se	$(3)$ $\lambda$ .min	(4) All
Log(Population)	0.484 <sup>c</sup> (0.038)	0.478 <sup>c</sup> (0.064)	0.488 <sup>c</sup> (0.065)	0.485 <sup>c</sup> (0.065)
Log(GDP per capita)	0.492 <sup>c</sup> (0.044)	$0.376^{c}$ $(0.118)$ $-4.306^{c}$	$0.351^{c}$ $(0.121)$ $-4.297^{c}$	$0.483^{c}$ $(0.178)$ $-5.129^{c}$
Public share of health exp.		(1.374) 2.306 <sup>c</sup>	$(1.375)$ $2.302^{c}$	$(1.543)$ $2.298^b$
Control of corruption		(0.866) 0.074 (0.214)	(0.866) $-0.104$ $(0.217)$	(0.874) 0.054 (0.427)
Log(Mean work hours) Log(PM25)		-1.418 (1.056)	-1.126 $(1.099)$ $-0.213$	-1.040 $(1.108)$ $-0.278$
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 $<sup>^{</sup>b}$ — $p < 0.05; ^{c}$ —p < 0.01.

Income, safety net, control of corruption, leisure predict higher welfare.

Inequality, pollution predict lower welfare.

	(1) GDP	$\lambda.1$ se	$(3)$ $\lambda$ .min	(4) All
Log(Population)	0.484 <sup>c</sup> (0.038)	0.478 <sup>c</sup> (0.064)	0.488 <sup>c</sup> (0.065)	0.485 <sup>c</sup> (0.065)
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Public share of health exp.		(1.374) 2.306 <sup>c</sup> (0.866)	$(1.375)$ $2.302^c$ $(0.866)$	$(1.543)$ $2.298^b$ $(0.874)$
Control of corruption		-0.074 (0.214)	-0.104 (0.217)	0.054 (0.427)
Log(Mean work hours)		-1.418 (1.056)	-1.126 (1.099)	-1.040 (1.108)
Log(PM25)		( 333)	-0.213 (0.223)	-0.278 (0.234)
Contractibility			(	-0.198 (0.415)
Infant mortality				0.253 (0.265)
Observations Adjusted R <sup>2</sup>	174 0.589	85 0.637	85 0.637	85 0.634

Second-stage estimates. Standard errors in parentheses.  $^a-p < 0.10;$ 

 $<sup>^{</sup>b}$ —p < 0.05;  $^{c}$ —p < 0.01.

We use lasso to improve our predictions.

 $\lambda.1se:$  Most parsimonious model selected by lasso within 1 s.e. of the minimum RMSE.

Interpretation: Conditioned on included factors, others do not improve predictions of welfare.

	(1) GDP	$\lambda.1$ se	$(3)$ $\lambda$ .min	(4) All
Log(Population)	0.484 <sup>c</sup> (0.038)	0.478 <sup>c</sup> (0.064)	0.488 <sup>c</sup> (0.065)	0.485 <sup>c</sup> (0.065)
Log(GDP per capita) Gini coefficient Public share of health exp. Control of corruption Log(Mean work hours) Log(PM25) Contractibility	0.492 <sup>c</sup> (0.044)	0.376 <sup>c</sup> (0.118) -4.306 <sup>c</sup> (1.374) 2.306 <sup>c</sup> (0.866) -0.074 (0.214) -1.418 (1.056)	$\begin{array}{c} 0.351^c \\ (0.121) \\ -4.297^c \\ (1.375) \\ 2.302^c \\ (0.866) \\ -0.104 \\ (0.217) \\ -1.126 \\ (1.099) \\ -0.213 \\ (0.223) \end{array}$	0.483° (0.178) -5.129° (1.543) 2.298° (0.874) 0.054 (0.427) -1.040 (1.108) -0.278 (0.234) -0.198
Infant mortality				(0.415) 0.253 (0.265)
Observations Adjusted $\mathbb{R}^2$	174 0.589	85 0.637	85 0.637	85 0.634

Second-stage estimates. Standard errors in parentheses.  $^a-p < 0.10;$ 

 $<sup>^{</sup>b}$ —p < 0.05;  $^{c}$ —p < 0.01.

# Welfare estimates

_	(1) lambda.1se	li		eline estima orway		(4) ojected	(5) GDP per capita	(6) Jones Klenow	(7) Cantril ladder
1.	United Kingdom		T. IV	Orway		d States	United States	United States	Canada
2-	Italy		ΩΙ.			Italy	United Kingdom	France	United States
3 -	Canada		Z. Ll	uxembourg		anada	Japan	United Kingdom	Spain
4.	United States	ď		O		inaua ipain	Canada	Japan	United Kingdom
5.	Germany		6. U	$\leq \Delta$		Africa	France	Canada	France
6-	Japan		0. 0	3A		rmany	Germany	Italy	Italy
7.	S. Korea	Un	00 1			Kingdom	Italy	Spain	Mexico
8-	France	Oil	39. [	Mexico		rance	Spain	Germany	Germany
9.	Mexico		00			ussia	S. Korea	S. Korea	Brazil
0-	Spain		60 [	Brazil		oland	Poland	Poland	Japan
1.	Poland		69. l	Drazii		apan	Mexico	Mexico	Argentina
12	Turkey					apan craine	Turkey	Turkey	Colombia
3	Thailand		85. I	ndia		ailand	Russia	Argentina	Thailand
4-	Indonesia		05. 1	IIIuIa		urkev	S. Africa	Russia	Poland
5-	Brazil		~ 7	CI :		enya	Argentina	Iran	S. Korea
16-	S. Africa		97. (	China			Brazil	Ukraine	Pakistan
	S. Africa Russia		51.	0111114		geria	Colombia	Brazil	
17 -			170	Haiti		Iran	Iran	Thailand	Egypt Vietnam
18 -	Argentina		1/2.	пан		gypt			
9 -	India					hiopia	Thailand	Colombia	Iran
10 -	Ukraine	_	Thailand	Philippines		Korea	Morocco	Egypt	Turkey
1-	Iran	_	Argentina	S. Africa		lombia	Ukraine	China	India
12 -	China	_	Ukraine	Pakistan		nzania	China	Indonesia	S. Africa
3-	Morocco	_	Pakistan	India		jentina	Indonesia	Morocco	Russia
4-	Philippines	_	Egypt	Bangladesh		rocco	Philippines	Philippines	Morocco
5 -	Colombia		Morocco	Tanzania		Irazil	Egypt	S. Africa	Ukraine
6 -	Tanzania		Vietnam	Vietnam		hina	Nigeria	Pakistan	Indonesia
7 -	Pakistan		Kenya	Nigeria		etnam	Pakistan	Vietnam	Philippines
8-	Bangladesh		Indonesia	Kenya	- 1	ndia	India	India	Nigeria
9 -	Egypt		Nigeria	Ethiopia	M	exico	Vietnam	Bangladesh	China
0 -	Nigeria		Bangladesh	Indonesia	Phil	ippines	Kenya	Nigeria	Bangladesh
н -	Kenya		Ethiopia	Ukraine	Pa	kistan	Bangladesh	Kenya	Kenya
12 -	Vietnam		India	Egypt	Ind	onesia	Tanzania	Tanzania	Ethiopia
13 -	Ethiopia		Tanzania	Morocco	Ban	gladesh	Ethiopia	Ethiopia	Tanzania

		$\overline{}$					
	(1) lambda.1se	(2) Iambda.min	(3) full	(4) unprojected	(5) GDP per capita	(6) Jones Klenow	(7) Cantril ladder
1.	United Kingdom	Italy	France	United States	United States	United States	Canada
2 .	Italy	France	Japan	Italy	United Winedow	France	United States
3	Canada	United States	United States	Canada	Dala aras		Spain
4	United States	Germany	Canada	Spain	Robustne	ss to $Z_d$	United Kingdom
5	Germany	Canada	United Kingdom	S. Africa		Co	France
6.	Japan	Japan	Poland	Germany	$(\rho = 0.8)$	ı. Sauth	Italy
7 -	S. Korea	United Kingdom	Germany	United Kingdom	$(\rho - 0.0)$	, Journ	Mexico
8-	France	S. Korea	Italy	France	1/ (1)	C	Germany
9 -	Mexico	Mexico	S. Korea	Russia	Korea fall	s from	Brazil
10	Spain	Spain	Spain	Poland			Japan
11	Poland	Russia	Turkey	Japan	31st to 44	1+b	Argentina
12	Turkey	Poland	China	Ukraine	3151 10 44	+111	Colombia
13	Thailand	China	Russia	Thailand	Kussia	Argentina	Thailand
14	Indonesia	Brazil	Argentina	Turkey	S. Africa	Russia	Poland
15	Brazil	Turkey	Mexico	Kenya	Argentina	Iran	S. Korea
16	S. Africa	Iran	Colombia	Nigeria	Brazil	Ukraine	Pakistan
17	Russia	Colombia	Brazil	Iran	Colombia	Brazil	Egypt
18	Argentina	Philippines	Thailand	Egypt	Iran	Thailand	Vietnam
19	India	S. Africa	Iran	Ethiopia	Thailand	Colombia	Iran
20	Ukraine	Thailand	Philippines	S. Korea	Morocco	Egypt	Turkey
21	Iran	Argentina	S. Africa	Colombia	Ukraine	China	India
22 -	China	Ukraine	Pakistan	Tanzania	China	Indonesia	S. Africa
23	Morocco	Pakistan	India	Argentina	Indonesia	Morocco	Russia
24	Philippines	Egypt	Bangladesh	Morocco	Philippines	Philippines	Morocco
25	Colombia	Morocco	Tanzania	Brazil	Egypt	S. Africa	Ukraine
26	Tanzania	Vietnam	Vietnam	China	Nigeria	Pakistan	Indonesia
27 -	Pakistan	Kenya	Nigeria	Vietnam	Pakistan	Vietnam	Philippines
28 -	Bangladesh	Indonesia	Kenya	India	India	India	Nigeria
29	Egypt	Nigeria	Ethiopia	Mexico	Vietnam	Bangladesh	China
30	Nigeria	Bangladesh	Indonesia	Philippines	Kenya	Nigeria	Bangladesh
31 -	Kenya	Ethiopia	Ukraine	Pakistan	Bangladesh	Kenya	Kenya
32	Vietnam	India	Egypt	Indonesia	Tanzania	Tanzania	Ethiopia
33 -	Ethiopia	Tanzania	Morocco	Bangladesh	Ethiopia	Ethiopia	Tanzania
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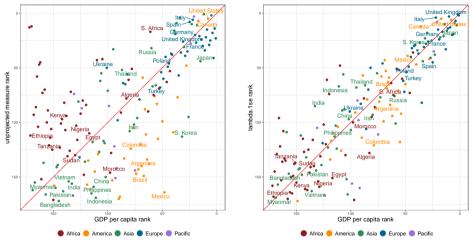
These are welfare rankings for large countries with more than 30 million residents. Algeria, Myanmar and Sudan are omitted due to missing values in the Cantril ladder measure. Country names are colored according to region. Red—Africa; Orange—Americas; Green—Asia; Blue—Europe.

_	(1) lambda.1se	(2) Iambda.min	(3) full	(4) unprojected	(5) GDP per capita	(6) Jones Klenow	(7) Cantril ladder
1.	United Kingdom	Italy	France	United States	United States	United States	Canada
2 .	Italy	France	Japan	Italy	United Kingdom	France	United States
3 -	Canada	United States	United States	Canada	Japan	United Kingdom	Spain
4	United States	Germany	Canada	Spain			
5	Germany	Canada	United Kingdom	S. Africa	$\rho = 0$	0.6; immig	grant
6	Japan	Japan	Poland	Germany	P	<i>5.0</i> ,	5. 4
7	S. Korea	United Kingdom	Germany	United Kingdom	100 0 0110 1	+- II C -	اء ما
8-	France	S. Korea	Italy	France	magne	ets U.S. a	na
9	Mexico	Mexico	S. Korea	Russia			
10	Spain	Spain	Spain	Poland	Canad	a rise	
11	Poland	Russia	Turkey	Japan	Carrau	a 115C	
12	Turkey	Poland	China	Ukraine	Turkey	Turkey	Colombia
13	Thailand	China	Russia	Thailand	Russia	Argentina	Thailand
14	Indonesia	Brazil	Argentina	Turkey	S. Africa	Russia	Poland
15	Brazil	Turkey	Mexico	Kenya	Argentina	Iran	S. Korea
16	S. Africa	Iran	Colombia	Nigeria	Brazil	Ukraine	Pakistan
17	Russia	Colombia	Brazil	Iran	Colombia	Brazil	Egypt
18	Argentina	Philippines	Thailand	Egypt	Iran	Thailand	Vietnam
19	India	S. Africa	Iran	Ethiopia	Thailand	Colombia	Iran
20	Ukraine	Thailand	Philippines	S. Korea	Morocco	Egypt	Turkey
21 -	Iran	Argentina	S. Africa	Colombia	Ukraine	China	India
22 -	China	Ukraine	Pakistan	Tanzania	China	Indonesia	S. Africa
23	Morocco	Pakistan	India	Argentina	Indonesia	Morocco	Russia
24	Philippines	Egypt	Bangladesh	Morocco	Philippines	Philippines	Morocco
25 -	Colombia	Morocco	Tanzania	Brazil	Egypt	S. Africa	Ukraine
26	Tanzania	Vietnam	Vietnam	China	Nigeria	Pakistan	Indonesia
27 -	Pakistan	Kenya	Nigeria	Vietnam	Pakistan	Vietnam	Philippines
28 -	Bangladesh	Indonesia	Kenya	India	India	India	Nigeria
29	Egypt	Nigeria	Ethiopia	Mexico	Vietnam	Bangladesh	China
30	Nigeria	Bangladesh	Indonesia	Philippines	Kenya	Nigeria	Bangladesh
31 -	Kenya	Ethiopia	Ukraine	Pakistan	Bangladesh	Kenya	Kenya
32	Vietnam	India	Egypt	Indonesia	Tanzania	Tanzania	Ethiopia
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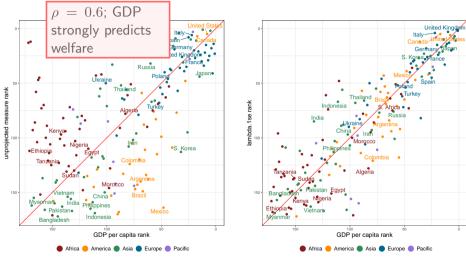
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3 -	Canada	United States	United States	Canada	Japan	United Kingdom	Spain
4	United States	Germany	Canada	Spain	Canada	Japan	United Kingdom
5	Germany	Canada	United Kingdom	S. Africa	France	Canada	France
6	Japan	Japai		Germany	Germany	Italy	Italy
7 -	S. Korea	United Kin	= 0.8-0.9	United Kingdom	Italy	Spain	Mexico
8	France	S. Kor	_ 0.0-0.9	France	Spain	Germany	Germany
9	Mexico	Mexic	or morea	Russia	S. Korea	S. Korea	Brazil
10	Spain	Spain	Spain	Poland	Poland	Poland	Japan
11 -	Poland	Russia	Turkey	Japan	Mexico	Mexico	Argentina
12	Turkey	Poland	China	Ukraine	Turkey	Turkey	Colombia
13	Thailand	China	Russia	Thailand	Russia	Argentina	Thailand
14 -	Indonesia	Brazil	Argentina	Turkey	S. Africa	Russia	Poland
15	Brazil	Turkey	Mexico	Kenya	Argentina	Iran	S. Korea
16	S. Africa	Iran	Colombia	Nigeria	Brazil	Ukraine	Pakistan
17	Russia	Colombia	Brazil	Iran	Colombia	Brazil	Egypt
18	Argentina	Philippines	Thailand	Egypt	Iran	Thailand	Vietnam
19	India	S. Africa	Iran	Ethiopia	Thailand	Colombia	Iran
10	Ukraine	Thailand	Philippines	S. Korea	Morocco	Egypt	Turkey
11 -	Iran	Argentina	S. Africa	Colombia	Ukraine	China	India
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3 -	Morocco	Pakistan	India	Argentina	Indonesia	Morocco	Russia
4	Philippines	Egypt	Bangladesh	Morocco	Philippines	Philippines	Morocco
5	Colombia	Morocco	Tanzania	Brazil	Egypt	S. Africa	Ukraine
66 -	Tanzania	Vietnam	Vietnam	China	Nigeria	Pakistan	Indonesia
7	Pakistan	Kenya	Nigeria	Vietnam	Pakistan	Vietnam	Philippines
8	Bangladesh	Indonesia	Kenya	India	India	India	Nigeria
9	Egypt	Nigeria	Ethiopia	Mexico	Vietnam	Bangladesh	China
10	Nigeria	Bangladesh	Indonesia	Philippines	Kenya	Nigeria	Bangladesh
11	Kenya	Ethiopia	Ukraine	Pakistan	Bangladesh	Kenya	Kenya
32	Vietnam	India	Egypt	Indonesia	Tanzania	Tanzania	Ethiopia
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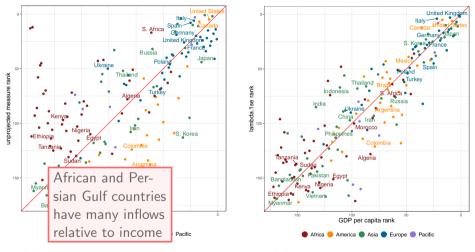
(a) Unprojected vs. GDP per capita

(b) Projected vs. GDP per capita



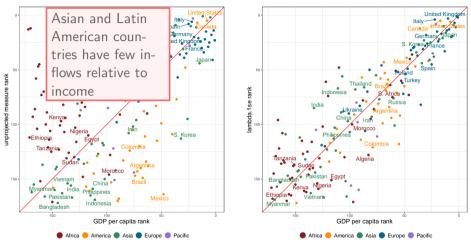
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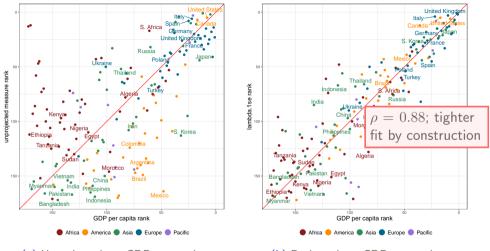
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(b) Projected vs. GDP per capita



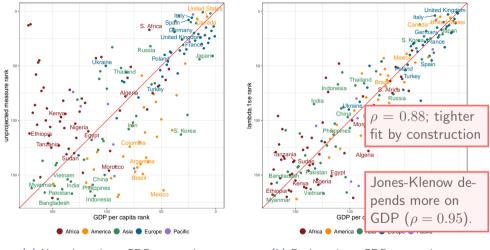
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(a) Unprojected vs. GDP per capita

(b) Projected vs. GDP per capita



(a) Unprojected vs. GDP per capita

(b) Projected vs. GDP per capita

#### **Conclusions**

#### Contributions

New method for estimating well-being of nations based on revealed preference.

Micro-foundations for gravity in international migration flows.

#### GDP is a strong predictor of welfare despite its limitations

However, migration flows appear to be responding to factors beyond GDP.

We relax assumptions on how welfare factors enter utility, but impose others on structure of unobserved migration factors and relationship between size, welfare.

Better measures of flows and costs would improve estimates of well-being.

## Gravity

Easy to make  $m_{o,d} \nearrow$  with  $N_o$  and  $\searrow$  with  $d_{o,d}$ . Harder to get  $m_{o,d} \nearrow$  with  $N_d$ .

$$m_{o,d} = N_o \times \pi_{o,d} = N_o \times \frac{\exp(u_d - \log(d_{o,d}))}{\sum_d \exp(u_d - \log(d_{o,d}))}$$
$$= \frac{N_o}{d_{o,d}} \times \frac{\exp(u_d)}{\sum_d \exp(u_d - \log(d_{o,d}))}$$

In our model, suppose  $c_{od} \equiv \log(d_{o,d})$  and  $\gamma = 1$ . Then:

$$m_{od} = \frac{N_o N_d}{d_{o,d}} \times \frac{\exp(u_d - \xi_d)}{\sum_j N_j \exp(u_j - c_{oj} + \xi_j)}.$$

## Correlations

